International Journal of Theoretical Physics, Vol. 29, No. 9, 1990

Errata: Automorphisms and Symmetries of Quantum Logics[1]

Věra Trnková[2]

Received March 1, 1990

The following corrections were made in page proofs, but did not reach the publisher in time to appear in print. "1211_2" means "p. 1211, line 2 from the bottom," and "1211^{2}" means "p. 1211, line 2 from the top."

Page, line	Error	Correction
1196^{12}	$Q_0(L_0, M_0)$	$Q_0 = (L_0, M_0)$
1197_1	atomist	atomistic
1198^{10}	$s_a(b) + s_b(s)$	$s_a(b) + s_b(a)$
1199^{5}	these	the
1200_7	$P_{\mathcal{G}}$	$P_{\mathcal{T}}$
1200_2	$\{x, Y\}$	$\{x, y\}$
1202^{6} and ff.	ϕ	$\varnothing$
1202_3	$z \in B\{y\}, z \in B\{y\}$	$z \in B\{x\}, z \in B\{y\}$
1202_1	$B\{y\}$, and ...	$B\{y\}, B\{x, y\}$, and ...
1204^{10}	covertices Section 2.1)	covertices (Section 2.1)
1204^{17}	the	then
1205^{16}	$J =$	$\mathcal{J} =$
1205^{18}	$P^+ \cup [m_J = m_I \mid I \in J]$	$P^+ \cup \{m_J\} = \{m_I \mid I \in \mathcal{J}\}$
1206^{12}	$Q_0(L_0, M_0)$	$Q_0 = (L_0, M_0)$
1206_{12}	set of atoms A	set of atoms $\tilde{A}$
1206_{11}	$= s_z)_t =$	$= (s_z)_t =$
1206_{10}	$\{\tilde{s}_a \mid a \in A\}$	$\{\tilde{s}_a \mid a \in \tilde{A}\}$
1206_4	$\{s_1 \mid a \in A\}$	$\{s_a \mid a \in A\}$

[1]This work appeared in the *International Journal of Theoretical Physics*, **28**, 1195–1214 (1989).

[2]Mathematical Institute of the Charles University, 18600 Prague 8, Sokolovská 83, Czechoslovakia.

0020-7748/90/0900-1039$06.00/0

Page, line	Error	Correction
1207_{11}	$\{G_p \uparrow p \in P\}$	$\{G_p \mid p \in P\}$
1207_{2}	Section 2.	Section 4.2.
1208_{5}	$p = a_a$	$p = s_a$
1209^{12}	The	Then
1209_{15}	$Q_0(L_0, M_0)$	$Q_0 = (L_0, M_0)$
$1210^{1,6,13}$	$p^{x,y}_{x,y}$	$p^{x,y}_{\tilde{x},\tilde{y}}$
1210^{6}	$p^{x,,y'}_{x,y}$	$p^{x,y}_{\tilde{x},\tilde{y}}$
1210^{7} and ff.	$\tilde{\phi}$	$\tilde{\varnothing}$
1210^{9}	V_{p_0}	V_{p^0}
$1210_{16,18}$	V^0_p	V_{p^0}
$1210_{12,13}$	V_{p_0}	V_{p^0}
$1210_{1,5,9,17}$	$\{x, y\}$	$\{\widetilde{x, y}\}$
$1210_{1,5,9,15,16}$	$\{\tilde{x}\}$	$\{\tilde{x}\}$
	$\{\tilde{y}\}$	$\{\tilde{y}\}$
$1211^{1,2,3,4,6,11}$	$\{\tilde{x}\}$	$\{\tilde{x}\}$
	$\{\tilde{y}\}$	$\{\tilde{y}\}$
$1211^{2,4,5,6,7,11}$	$\{x, y\}$	$\{\widetilde{x, y}\}$
1211^{11}	$\{\tilde{y}\}$,	$\{\tilde{y}\} = \{\bar{y}\}$
1211^{13}	V_{p_0}	V_{p^0}
1211^{14}	E_{p_0}	E_{p^0}
1211_{14}	$G_p(V_p, E_p)$	$G_p = (V_p, E_p)$
1211_{11}	$v : M \to M$	$b : M \to M$
1211_{2}	itself	onto itself (and it is identical on it) and W also into itself.
1212^{4}	$V_q\ W$	$V_q \cup W$
1212_{14}	every vertex ... no 7 cycle;	and every vertex ... no 7 cycle,
1213_{3}	the unique point	the unique adjacent point
1214^{1}	show	shows
1214^{4}	$H_1(W, E_1)$	$H_1 = (N, E_1)$